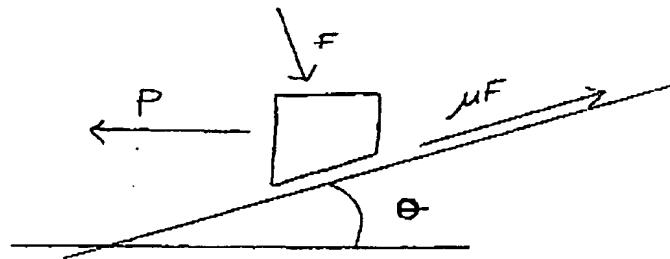


## Appendix 1



If  $F$  is the force induced perpendicular to the surface by the hoop stress in the ring and  $P$  is the pull required to take the ring off, then the force due to friction resisting  $P$  is  $\mu F$  where  $\mu$  is the coefficient of friction.

$$P = \mu F \cos \theta + F \sin \theta$$

The limiting case for a self locking taper is when  $P=0$

Therefore  $\mu F \cos \theta = -F \sin \theta$

And  $\mu = \sin \theta / \cos \theta = \tan \theta$

So if  $\mu = 0.25$ , then  $\theta = 14^\circ$

Consequently, for angles less than  $14^\circ$  the taper is not self locking; and for angles greater than  $14^\circ$  the taper is self-locking.

In practice, because the ring does not necessarily come off square the limiting angle for self locking is less than this.

NB  $\mu=0.25$  is an acceptable value of  $\mu$  between steel (which is what we make the ring from) and anything onto which the ring is likely to be mounted.